**Title:** Independence of families of  $\ell$ -adic representations and uniform constructibility

Abstract: Let k be a number field,  $\overline{k}$  an algebraic closure of k,  $\Gamma_k = \operatorname{Gal}(\overline{k}/k)$ . A family of continuous homomorphisms  $\rho_{\ell} : \Gamma_k \to G_{\ell}$ , indexed by prime numbers  $\ell$ , where  $G_{\ell}$  is a locally compact  $\ell$ -adic Lie group, is said to be independent if  $\rho(\Gamma_k) = \prod \rho_{\ell}(\Gamma_k)$ , where  $\rho = (\rho_{\ell}) : \Gamma_k \to \prod G_{\ell}$ . Serre gave a criterion for such a family to become independent after a finite extension of k. We will explain Serre's criterion and show that it applies to families coming from the  $\ell$ -adic cohomology (or cohomology with compact support) of schemes separated and of finite type over k. This application uses a variant of Deligne's generic constructibility theorem with uniformity in  $\ell$ .